

Mass Spectroscopy

From last class
charged particles moving
perpendicular to a magnetic field
move in a circular trajectory

$$F_c = F_b$$

$$mv^2/r = qvB$$

$$r = mv/(qB)$$

What if the particle hits the field at an angle?

$$F_b = qvB \sin \theta$$

for our example

$$1.602 \times 10^{-19} \text{ C} \times (0.80 \times 3.0 \times 10^8 \text{ m/s})$$

$$(5 \times 10^{-4} \text{ T}) \sin(35^\circ)$$

$$1.602 \times 0.8 \times 3 \times 5 \times \sin(35) =$$

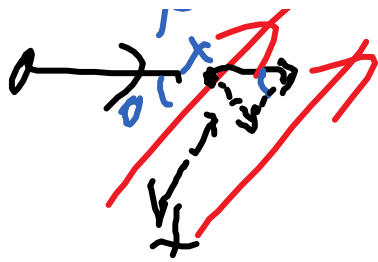
$$11.02643341241251$$

$$1.1 \times 10^{-14} \text{ N}$$

← into the page on the diagram



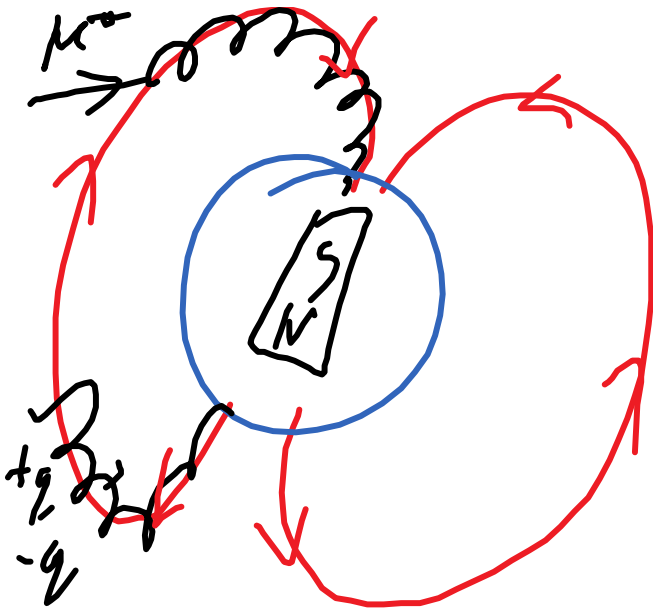
— move in a



— move in a spiral path,

with radius

$$r = \frac{mv}{qB \sin \theta}$$



So the charged particles from cosmic rays follow the magnetic field lines to the poles and hit the atmosphere at high speeds. When charged particles change energy states, they emit photons $E=hf$. - pretty colours





(pun for Aurora borealis - Northern lights)

Mass Spectroscopy and Milliken

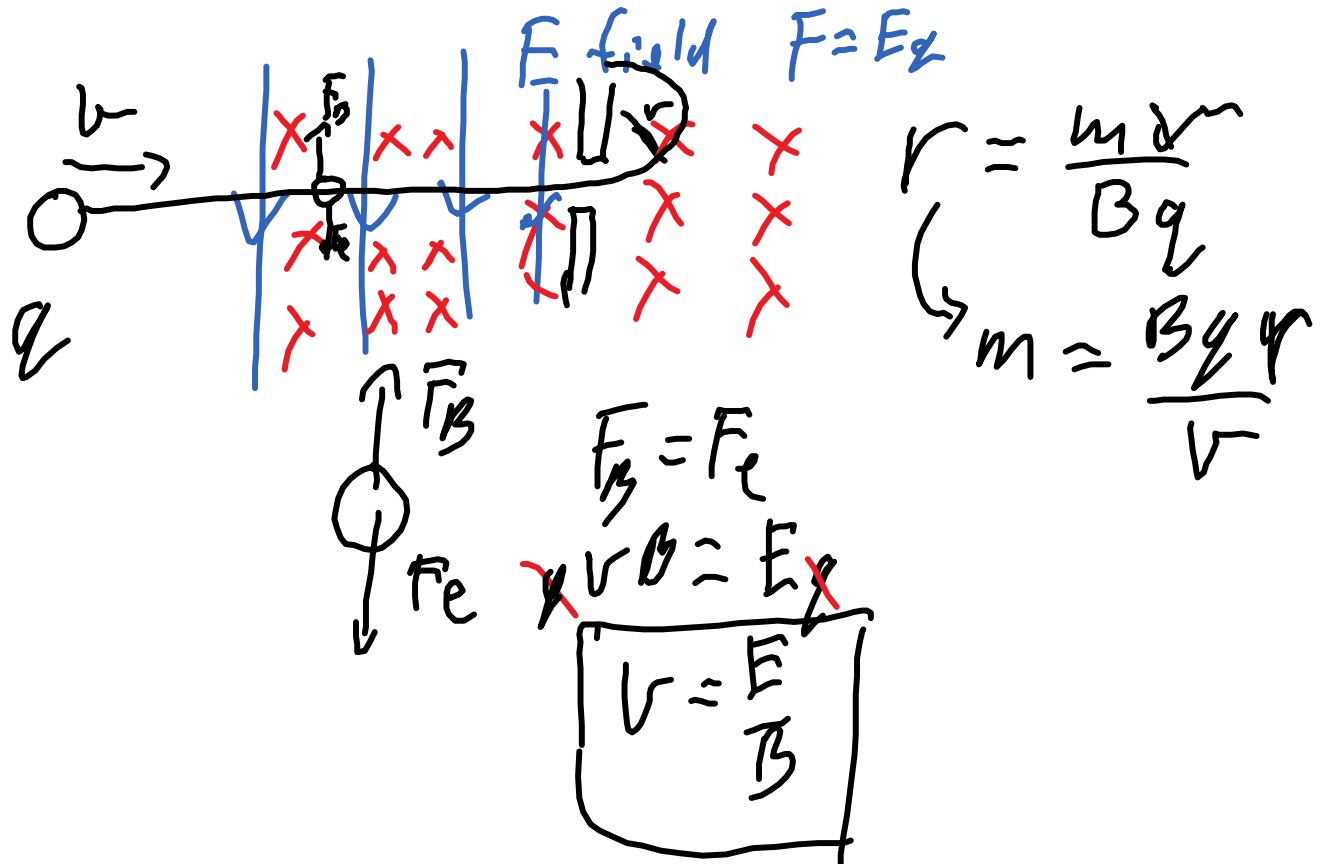
Milliken Oil drop experiment - Determine the charge of electrons.

eg. you spray oil droplets between parallel plates, 6.0 mm apart and they levitate with a single excess electron in the oil. What voltage is between the plates?

oil density: 874 kg/m^3 radius of $0.7 \text{ } \mu\text{m} = 0.7 \times 10^{-6} \text{ m}$. $\uparrow F_e$
 $\downarrow F_g$ $F_c = E_z = mg$

once you know the charge of a particle, you can determine the mass using

crossed electric and magnetic fields as a velocity selector and then the radius of the path in a magnetic field (or period of revolution) to determine the mass/charge ration and therefore the mass.



a unknown particle with charge $2e+$
moves at 5.0×10^6 m/s
perpendicular to a 0.15T magnetic
field.

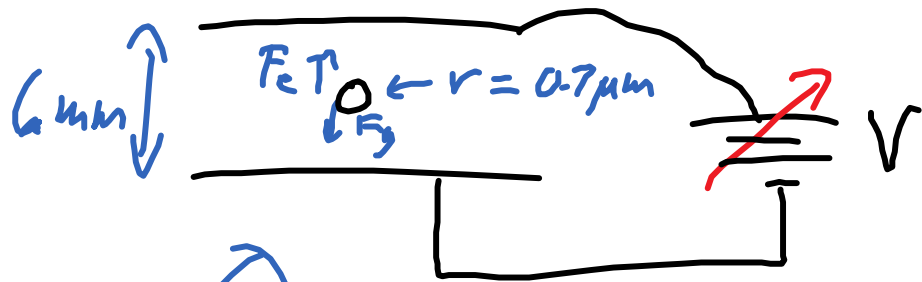
- what is the magnetic force on the particle? $F =$
- what strength electric field will balance the magnetic force?
- if the radius of the path after

leaving the electric field but maintaining the magnetic field is 3.00 cm, what is the mass of the particle?

$$V = \frac{4}{3} \pi r^3$$

$$\rho = m/V$$

$$m = \rho \frac{4}{3} \pi r^3$$



$$E = mg$$

$$E = \frac{V}{d}$$

$$V = \frac{mgd}{q}$$

$$\rho \frac{4}{3} \pi r^3 \times g \times d / q$$

$$874 \text{ kg/m}^3 \times \frac{4}{3} \pi (7 \times 10^{-7} \text{ m})^3 \times$$

$$9.81 \text{ N/kg} \times 6 \times 10^{-3} \text{ m} / 1.602 \times 10^{-19} \text{ C}$$

$$874 \times (4/3)$$

$$x3.14159x7x7x7x9.81x6/1.602=$$

$$4.61372E7$$

$$461V$$

a unknown particle with charge $2e+$ moves at 5.0×10^6 m/s perpendicular to a 0.15T magnetic field.

$$F = qvB = 2x1.602E-19x5E6x0.15=$$

$$0.0 = 2.4x10^{-13}N$$

b) $v=E/B$ so $E=Bv = 0.15x5E6=$

$$750,000.0 = 7.5x10^5N/C$$

c) $m = Bqr/v = 0.15x2x1.6x0.03/5=$

$$0.0029$$

$$m = 2.9 \times 10^{-28} \text{ kg}$$

lab p93, pre-read bring labbook
Monday

test Friday circuits and magnetic
force